

## Test #401

Name	: _	,		
ID Nu	mber: _			
Schoo	ol:			_
Divisio	on (circle	one):		
Mu	Alpha	Theta	Sponsor	

For each of the following, find:

\_\_\_\_1. 13x15

\_\_\_\_2. 39<sup>2</sup>-21<sup>2</sup>

\_\_\_\_\_3. Smaller angle(in degrees) between hour and minute hand between 7:40

4. Probability of drawing two cards of the same suit when drawing without replacement from a standard deck of cards

\_\_\_\_5. Average speed if I go from Gainesville to Tampa at 20mph, and Tampa to Gainesville at 30mph without breaks

\_\_\_\_\_6. Area of isosceles trapezoid with midsegment of 4 and height of 17.

\_\_\_\_7. Number of factors in 184.

\_\_\_\_\_8. How many ways can Robert organize 3 teams of 2 from 6 people?

\_\_\_\_9. Number of diagonals in a dodecagon.

\_\_\_\_\_10. Value of a such that ax+4y=10 and 6x+12y=30 has infinite solutions.

\_\_\_\_\_11. Length of latus rectum of  $y^2+4y-13x=9$ .

\_\_\_\_\_12. Volume of a sphere with surface area of  $36\pi$ 

\_\_\_\_\_13.  $3x^3-4x+2=0$  has roots r, s, t. Find the sum of the reciprocals of the roots

\_\_\_\_\_14. S<sub>n</sub> is the sum of the first n terms of a sequence( $a_1, a_2...$ ). If S<sub>n</sub>=n<sup>2</sup>+3n+2, find  $a_5$ .

\_\_\_\_15. x, if 3x+y+2x+2=4x+2y+19-y

\_\_\_\_\_16. The longest space diagonal of an octahedron with side length 4.

\_\_\_\_17. Remainder when 4<sup>91</sup> is divided by 89.

 $\underline{\qquad}18.\,\frac{3}{2}+\frac{9}{8}+\frac{27}{32}+\frac{81}{128}.\,.$ 

\_\_\_\_\_19. Wiggie has \$3.20 in his piggybank. He has the same number of quarters and nickels. What is the greatest number of quarters he could have?

\_\_\_\_\_20. Probability you roll two fair 6-sided dice and the sum is 8.

\_\_\_\_21. Number of integer values that satisfy  $x^2 < 69$  and  $x^2 > 5$ 

\_\_\_\_\_22. John's speed in meters per second if he runs 90 kilometers an hour.

\_\_\_\_23. 23% of 23.

\_\_\_\_\_24. Find n, if 2<sup>0</sup>+2<sup>1</sup>...2<sup>11</sup>=(2<sup>0</sup>+2<sup>1</sup>...2<sup>5</sup>)n

\_\_\_\_25. Number of terminating zeros in 28!

<u>26.</u>  ${}_{5}C_{2} + 5 \times 2$ 

\_\_\_\_\_27. Sum of the 4th and 5th prime numbers.

<u>28.  $\frac{1}{8} + \frac{7}{12} + \frac{4}{3}$ </u>

\_29. X if 1112<sub>3</sub>=45<sub>X</sub>

\_\_\_\_30. Minimum value of x<sup>2</sup>-2x-5

\_\_\_\_31. Sum of digits in 6<sup>4</sup>.

\_\_\_\_\_32. Each of the letters M, R. L, and U represent a different odd integer between 2 and 10. What is the least possible value of

 $\frac{M \bullet R - L}{U}?$ 

\_\_\_\_33. Sum of the distinct real values of x that satisfy  $x^{8}-4x^{6}+8x^{4}-2x^{2}-2024$ .

\_\_\_\_34. Sum of coefficients of  $(x+3)^5$ 

35. a+b, if (3+i)(4+3i)(3-i)(1+i)=a+bi

\_\_\_\_\_36. Number of Bob's needed to build 5 walls in 3 days, if 18 Bob's can build 15 walls in two days.

\_\_\_\_\_37. Number of perfect squares between 102 and 10005

\_\_\_\_\_38. What is the sum of the values for L and U which yield the greatest 6-digit number 5L5,62U that is divisible by 44?

 $39. \sqrt{175} + \sqrt{28} + \sqrt{63} + \sqrt{112}$ 

\_\_\_\_\_40. Slope of the line that is tangent to  $(x-3)^2+(y-4)^2=25$  at the origin.